

1. If a group G has order 10 and a generating set S has one element, what can you say about the Cayley graph? (mark all that are true)

- A It has 10 vertices.
- B It has $10!$ vertices.
- C It has 10 edges, and the graph can be arranged in a cycle.
- D It may have any even number of edges-- we can't be sure without more information.

2. Recall that the "rank" of a group is the smallest possible size of a generating set. What is the rank of \mathbb{Z}^2 , the integer lattice in the plane?

- A 1 because it is cyclic
- B 2 because it has a presentation $\langle a, b \mid ab=ba \rangle$ but it is not cyclic
- C 3 because it is best represented by a 3-dimensional model
- D infinity because the Cayley graph has infinitely many vertices
- E it depends on the presentation

3. Every dihedral group is abelian.

- A True
- B False