

Distance matters.

Or, we move through space in weird ways

A talk of a sort by Jim Thatcher

Assistant Professor, University of Washington Tacoma

Urban Studies

Agenda

- Me, briefly
- Space, time, and distance
 - Some old work
 - Some new work
- Travel-time API demo
- Questions

Me, in brief

Assistant Professor, Urban
Studies, University of
Washington Tacoma

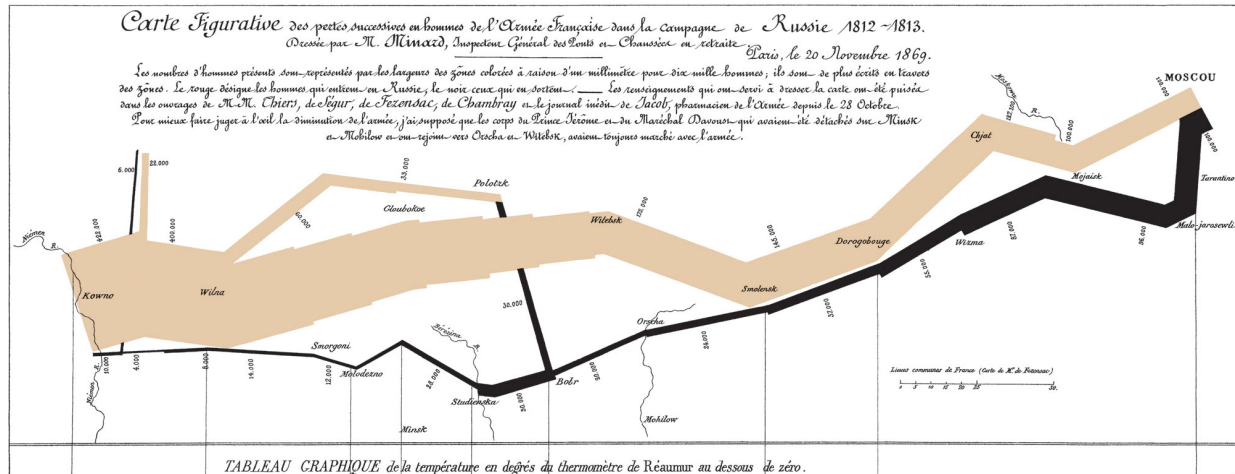
Affiliate Professor, Geography,
University of Washington

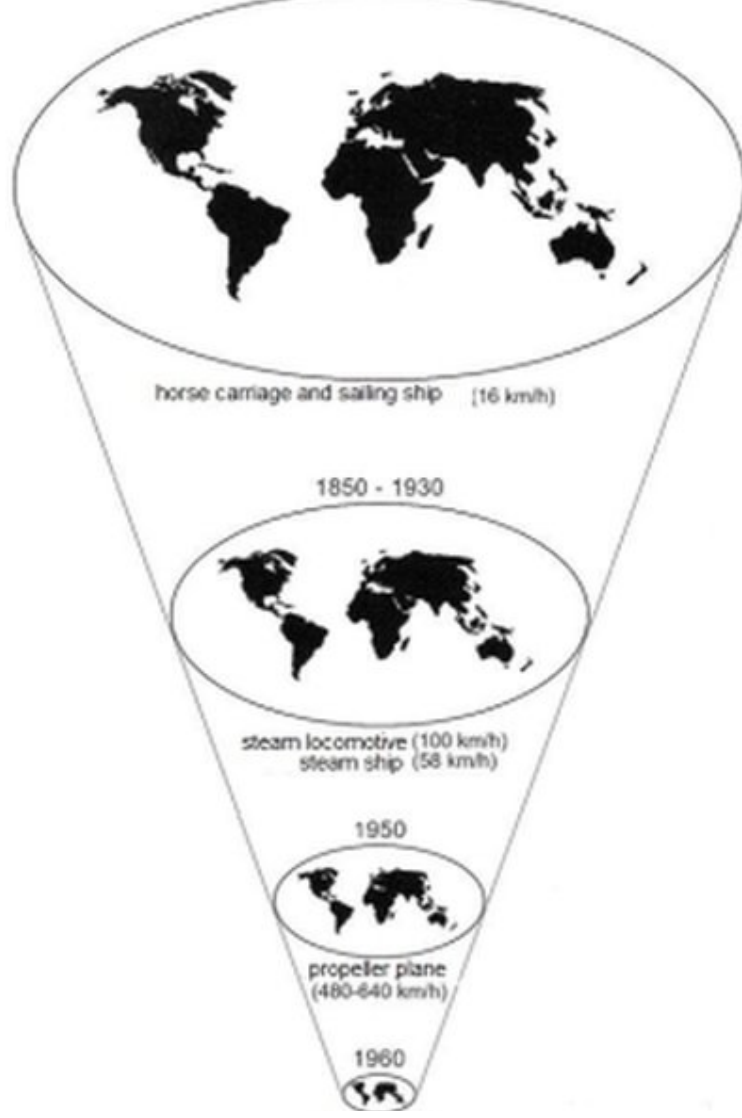
Critical Data Studies, Digital
Geographies, Digital Political
Ecology, Critical Cartography,
etc.

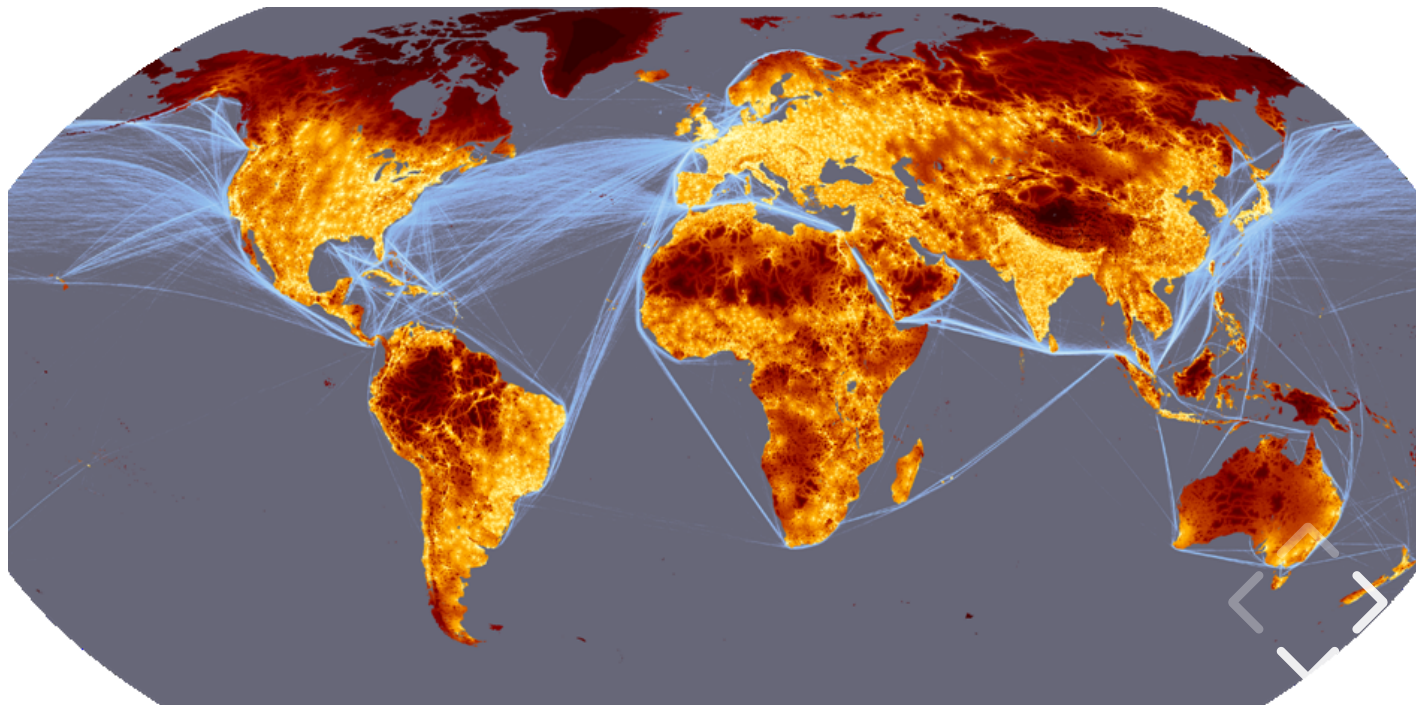


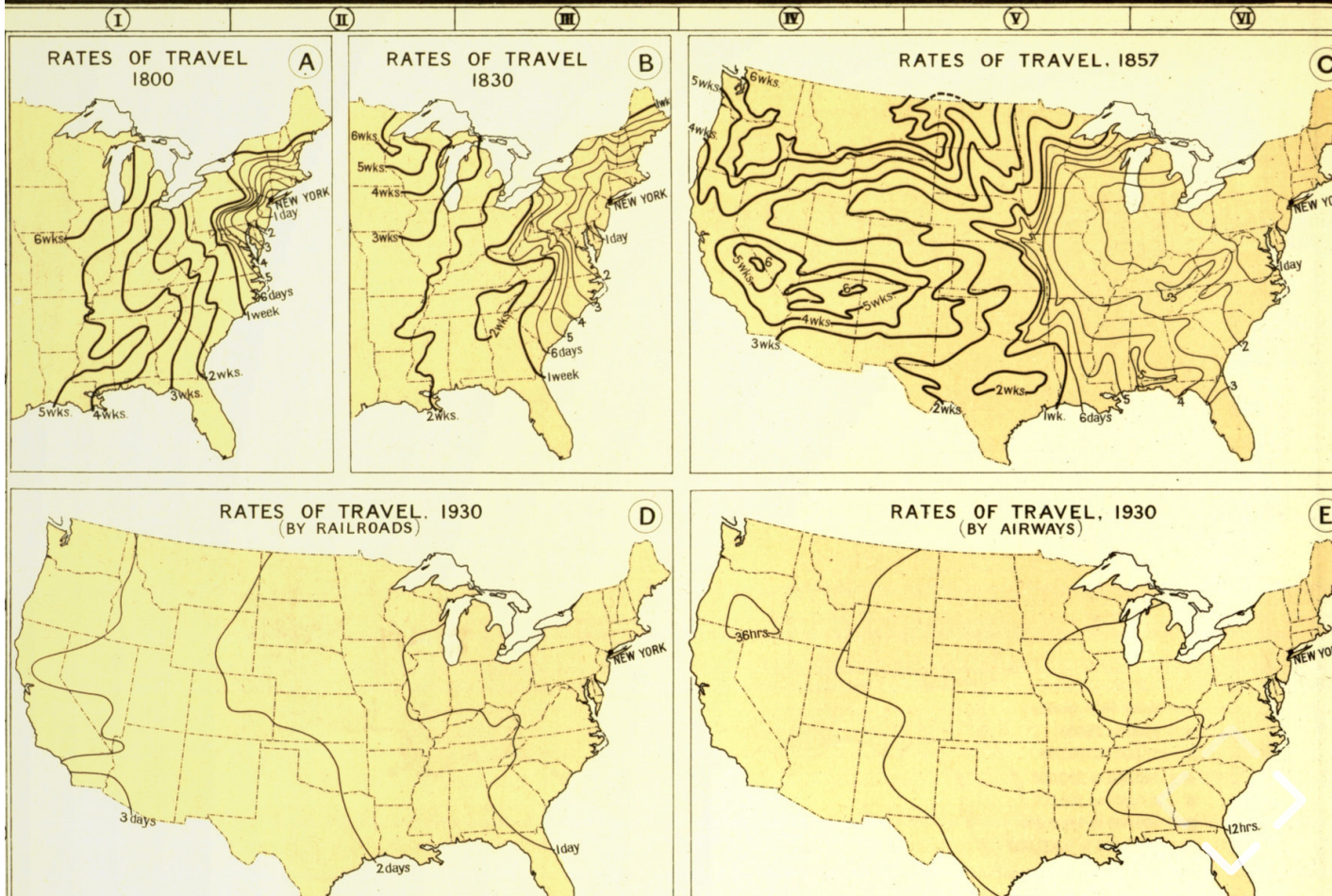
'Old' work on
Space, time, and distance

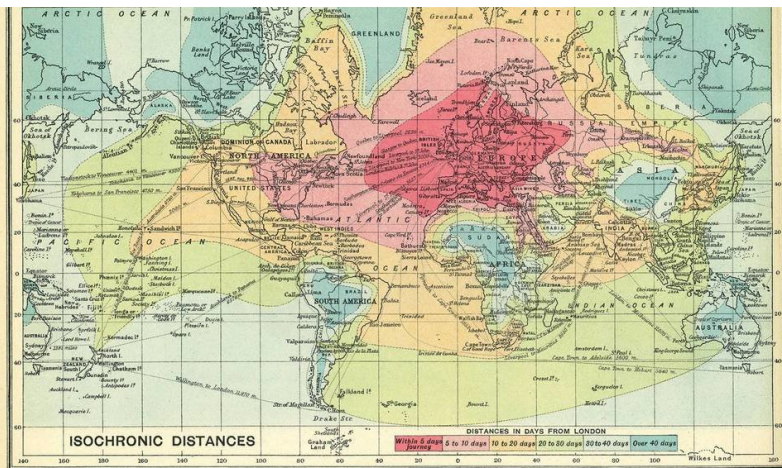
Mapping time is hard.





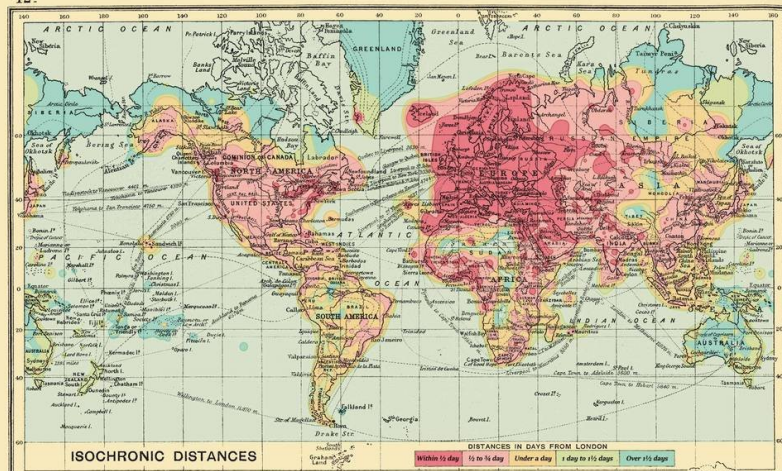




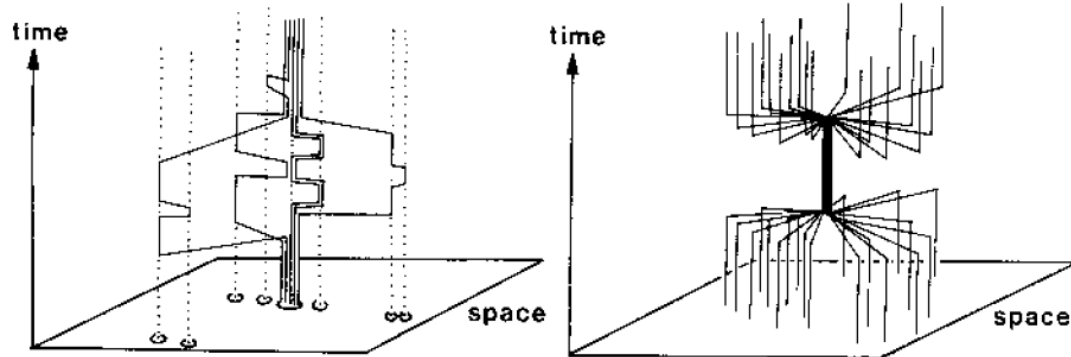


1914

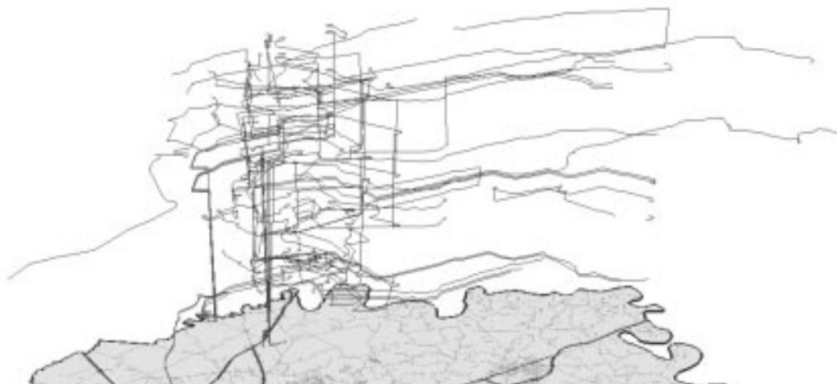
1925



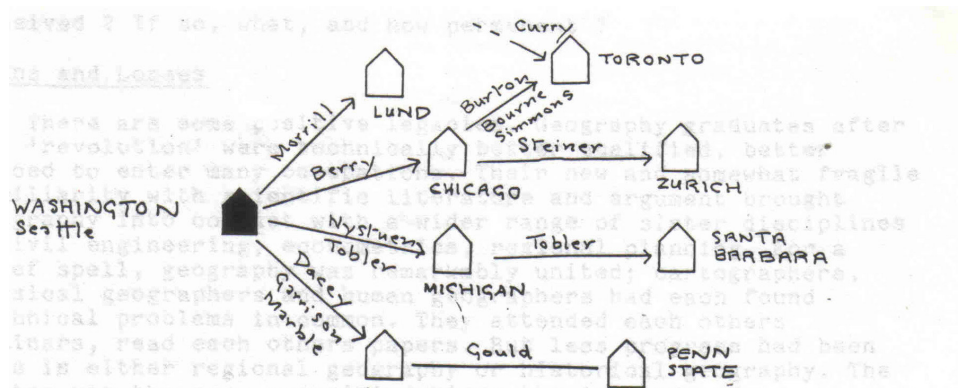
Time Geography



MEI-PO KWAN



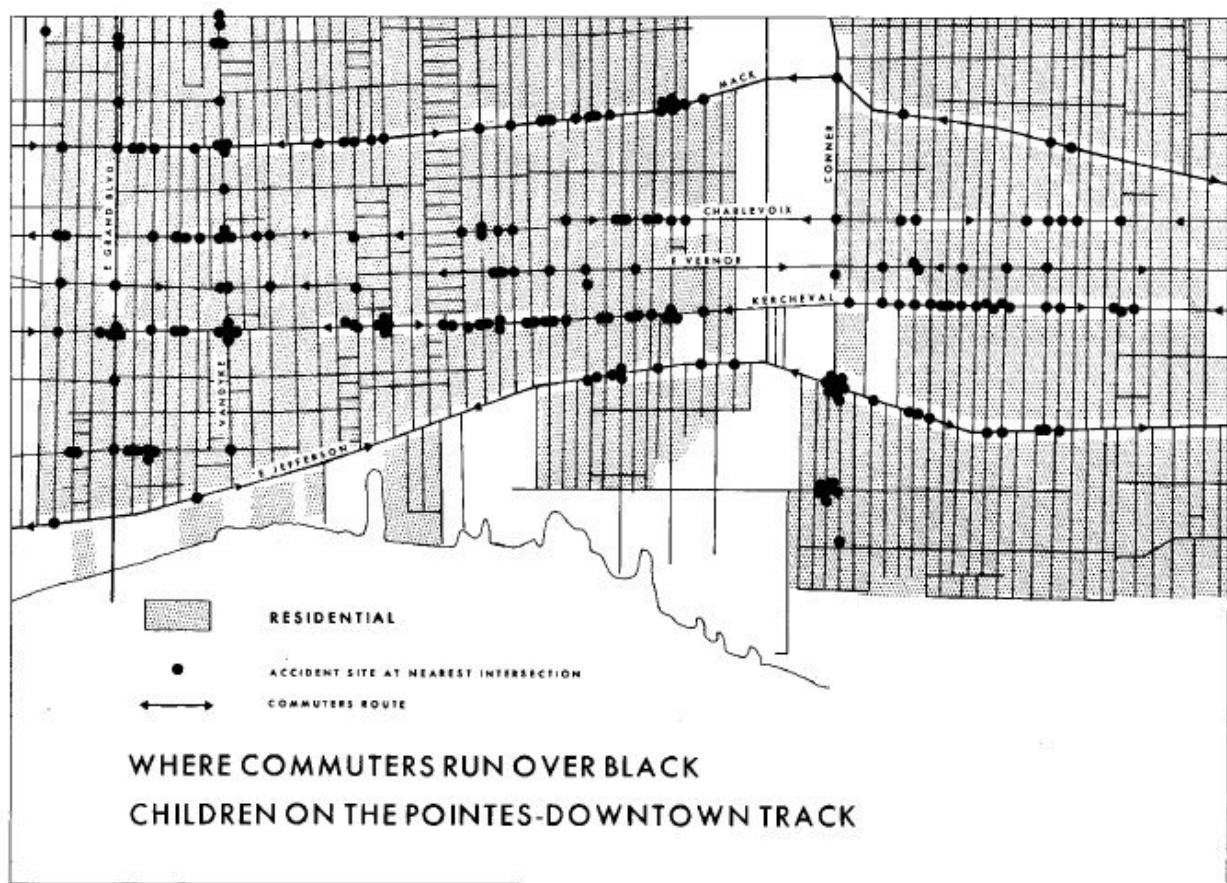
'Quantitative Revolution'



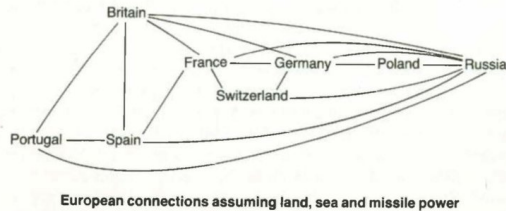
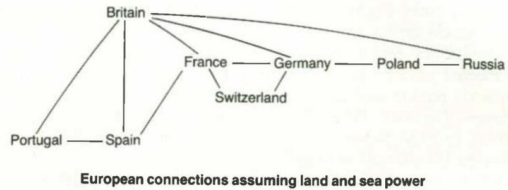
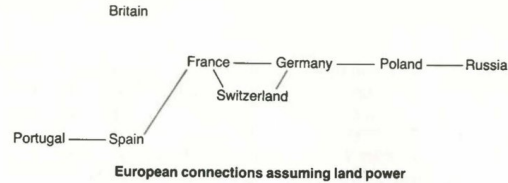
Detroit Geographical Expedition and Institute



TO DOWNTOWN



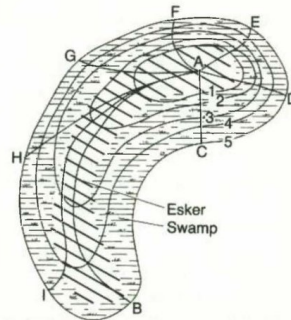
WHERE COMMUTERS RUN OVER BLACK
CHILDREN ON THE POINTES-DOWNTOWN TRACK



Map 2.9 Graph-theoretic 'maps' of Western Europe

The 'shrinking world' concept typically means that the time distances between various points on the earth's surface are rapidly diminishing but in a continuous metric fashion. Actually, the situation is even more alarming because there have been sudden leaps and quantum reversals in spatial relations in recent times. The illustration is essentially a graph showing by simple lines which countries are connected to which others. Notice that before sea travel, say before Phoenician times, Britain was the most isolated. But with sea travel, Britain became the best connected European nation, a quantitative reversal. Similarly, Russia, most isolated under land travel, became only slightly less isolated with sea travel because it is so landlocked. However, with missiles Russia became central, and not with a spatial reform but with a spatial revolution.

Metric distance, esker and swamp



Time distance, esker and swamp

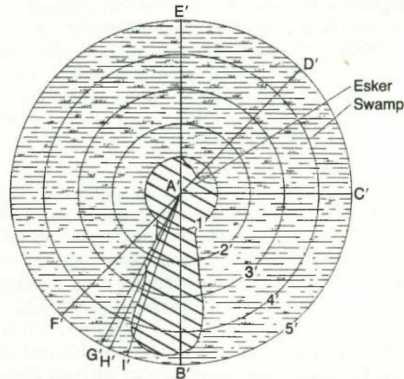


Figure 2.10 Circles of constant time and straight line shortest paths

This figure shows the optimal path for a hiker along a ridge in a swamp. The numbers indicate minutes of travel from A to B, A to C etc.

Source: Bunge and Bordessa (1975)

'New' work on Space, time, and distance

(a)



(b)

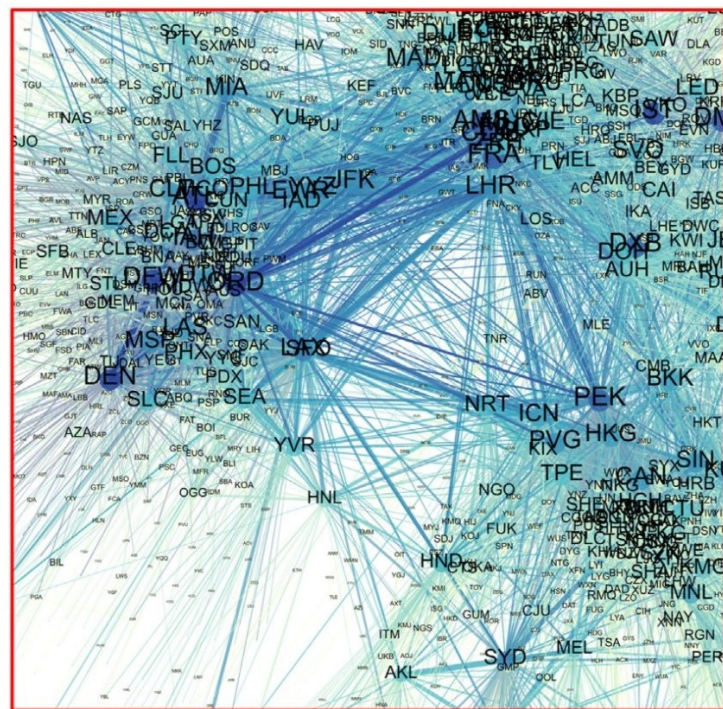


Figure 1

Relational representation of the global flights network from the OpenFlights dataset (2015) shows (a) the whole network and (b) a magnified centre area as indicated in (a). The network layout used a combination of 3D force-directed layout and the Yifan Hu layout algorithm as implemented *Gephi* (Bastian et al. 2009). Airport abbreviations are scaled by numbers of inbound flights at those airports, and edges are coloured from light to dark according to calculated centrality (darker is more central) of the airports they connect.

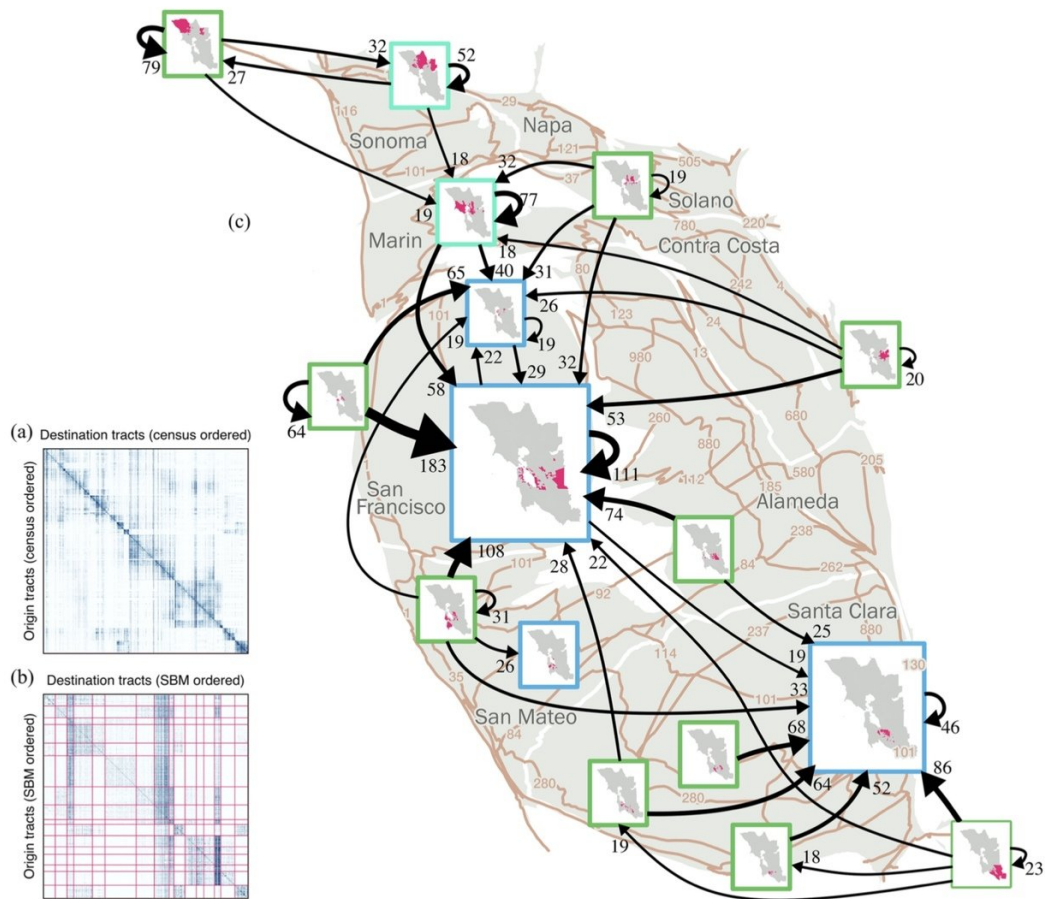


Figure 2

Blockmodeling results for California Bay Area commuter flows. Origin-destination matrices are shown, with darker blue representing larger flows, in (a) Census ID order and (b) reorganized into regions by the stochastic blockmodel, on the basis of relational affinities. Panel (c) shows one level of a hierarchical blockmodel, where areas that are primarily sources (green outline), primarily sinks (blue), or a mixture (cyan) are indicated in the blockmodel nodes. The regions are mapped in red in the small maps on each node. Links are labeled with commute numbers in thousands, and node sizes are scaled by total inbound commutes. The basemap is a cartogram rescaled by total inbound commutes (local jobs), with county names and highway numbers included for orientation.

Space isn't
flat.

Space isn't
smooth.

Redistricting Revisited

Redistricting

Revisited

Revisited

REDISTRICTING REVISITED*

RICHARD L. MORRILL

ABSTRACT. Legislative and congressional districts for the State of Washington were delimited by the author in 1972. Computer models were not used. This article compares the actual with optimal computer plans for the sake of estimating how practical and conceptually satisfactory computer models may be. A "capacity-constrained location-allocation" model is used, finding equally populous districts such that aggregate travel to the set of district centers is the minimum possible. The model iterates between assignment of sufficient population to district centers and relocation of centers, until no further travel savings occurs. Airline, road and time distances are utilized. The hypothesis that computer models would be inferior to human judgment was rejected. On the average the computer-produced districts tended to be more compact and the set of districts are more efficient than was true of the 1972 plan.

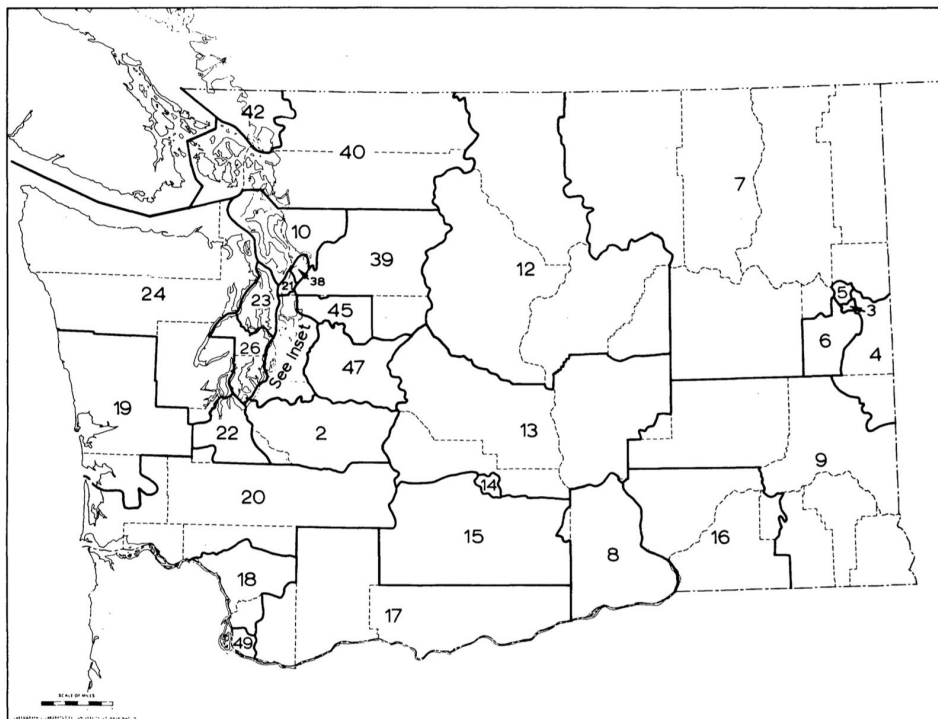


FIG. 4. 1972 Legislative district plan, Washington.

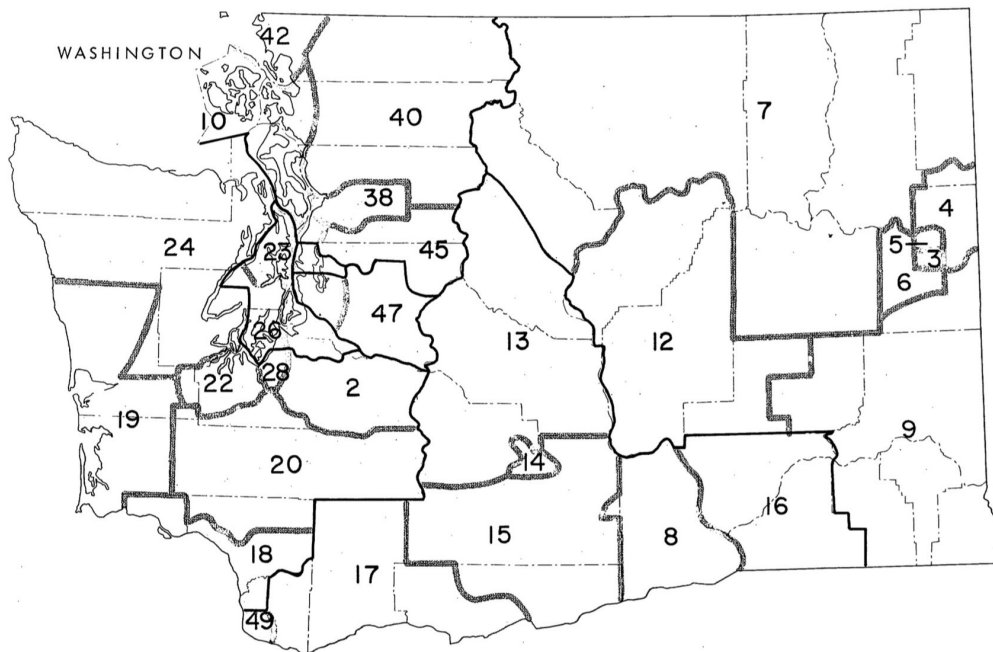


FIGURE 5 COMPUTER REDISTRICTING PLAN

— CONGRESSIONAL DISTRICT
 - - - LEGISLATIVE DISTRICT

Fig. 5. Computer redistricting plan, Washington.

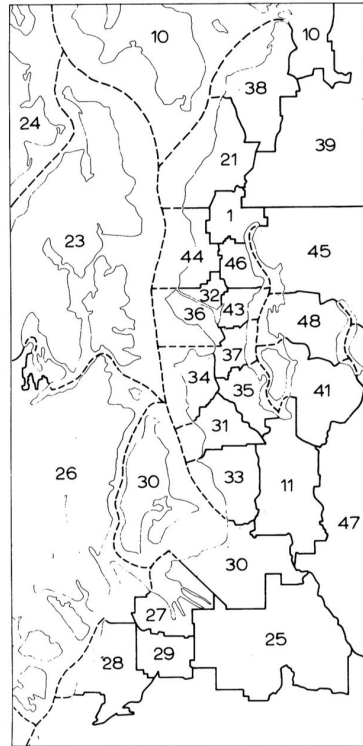


FIG. 6. 1972 Legislative district plan, Seattle area.

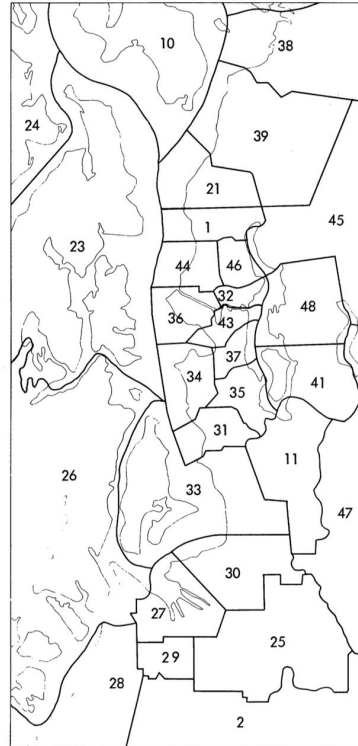
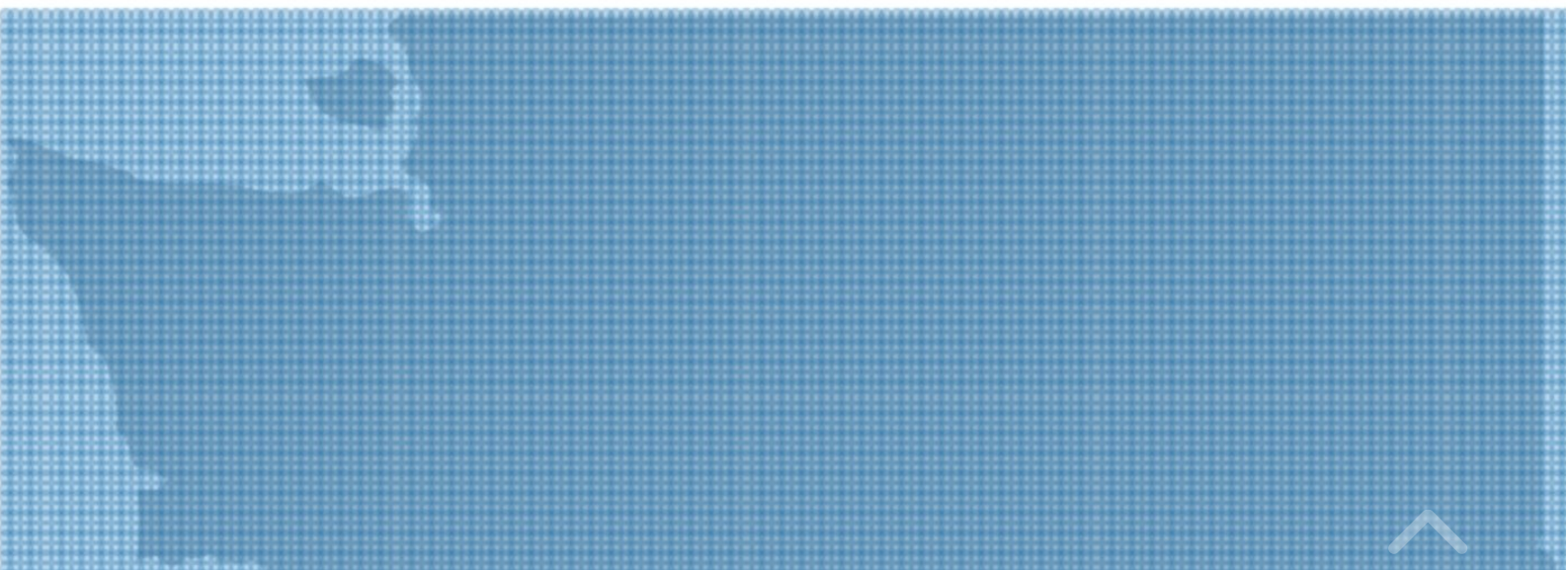


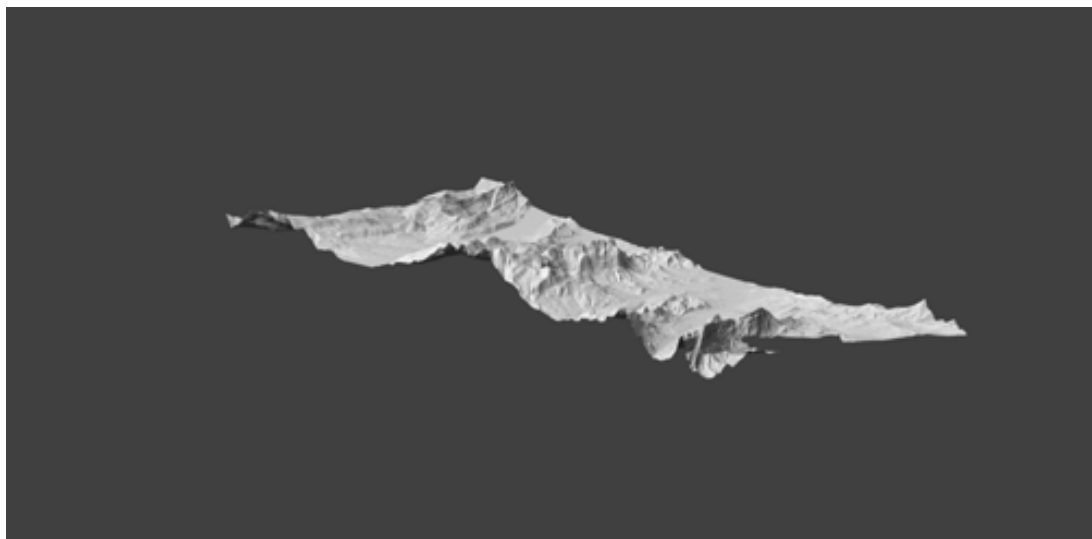
FIG. 7. Computer redistricting plan, Seattle area.

And today?



dfmatrix

	47.7,-123.9	47.4,-123.9	47.1,-123.9	46.8,-123.9	47.7,-124.2	47.4,-124.2
47.7,-123.9	0	6012	7436	11282	3484	6694
47.4,-123.9	6012	0	1512	5278	3430	2567
47.1,-123.9	7436	1512	0	3748	4807	3927
46.8,-123.9	11282	5278	3748	0	8526	7208
47.7,-124.2	3484	3430	4807	8526	0	4105
47.4,-124.2	6694	2567	3927	7208	4105	0



Questions?

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